

Set Operations and the Venn Diagram

Lesson 2



Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

The Integers

$$\{\dots, -3, -2, -1, 0, 1, 2, 3, \dots\}$$

Includes:

All negative whole numbers

Zero

All positive whole numbers

Objectives

At the end of this lesson, you should be able to:

- perform set operations like union, intersection, complement and difference; and
- use a Venn diagram to illustrate set operations



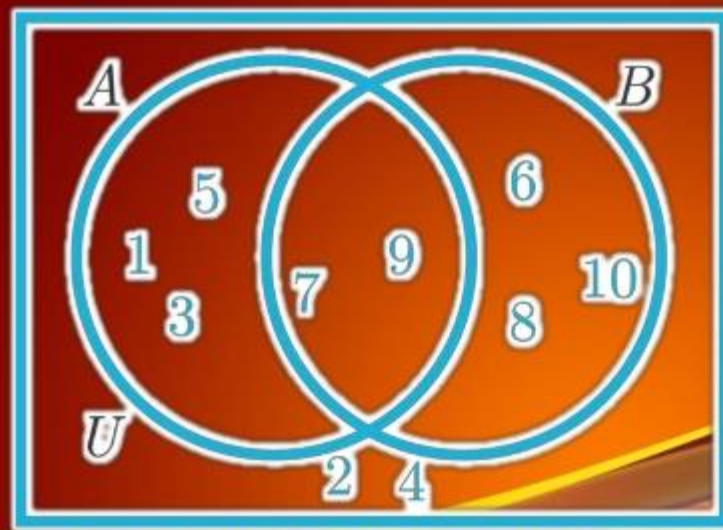
Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

Learn about it!

- A **Venn diagram** is used to represent relationships between a collection of objects or sets.
- As shown below, a Venn diagram usually has a rectangle with circles inside. The rectangle represents the universal set and the circles inside represent the different subsets in the universal set. The letter name of the set is written beside it.



Venn Diagram



Also visit us at <https://www.facebook.com/groups/sangyav> And <https://arielgilbuena2017.wixsite.com/i-hope>



- In the illustration, the universal set contains natural numbers from 1 to 10, or

$$U = \{1, 2, 3, 4, 5, 6, 7, 8, 9, 10\}$$

- Set A = {1, 3, 5, 7, 9}
- Set B = {6, 7, 8, 9, 10}
- Notice that 2 and 4 are outside the circles that represent sets A and B. This means that both numbers are ****not**** elements of either A or B.



- There are four basic set operations that are best understood using Venn diagrams. These are **union**, **intersection**, **complement** and **difference**.



Set Operations

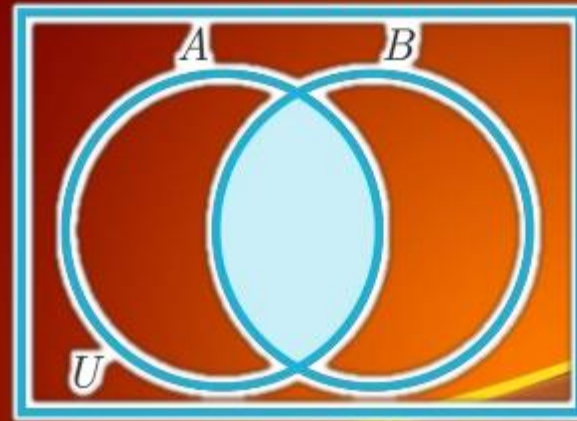
- Given two sets A and B :
- **Union** (\cup) – $A \cup B$ is the set that contains all the elements in either A or B .



Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

Set Operation

Intersection (\cap) – $A \cap B$ is the set that contains all common elements between sets A and B .

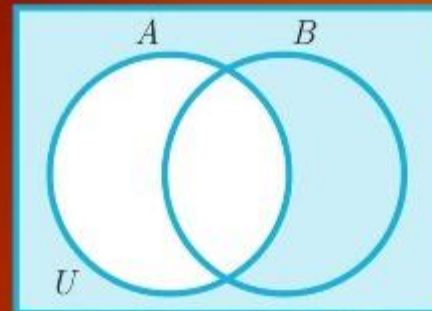


Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

Set Operation

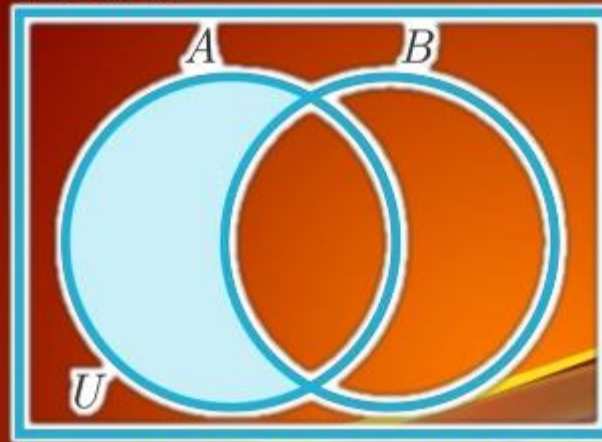
Complement (')

A' is the set that contains all elements in the universal set that are not in set A .



Set Operation

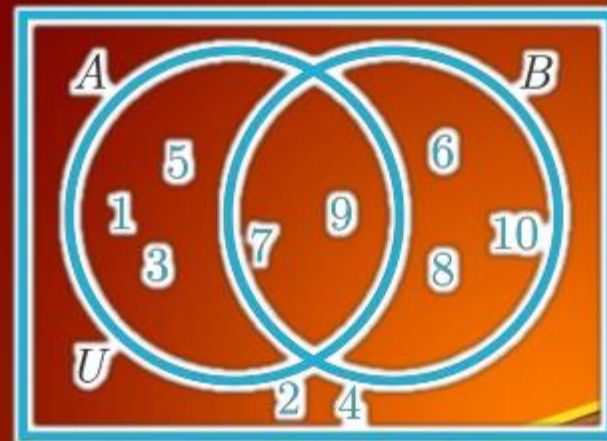
Difference (-) – $A - B$ is the set that contains all elements of A that are not in B .



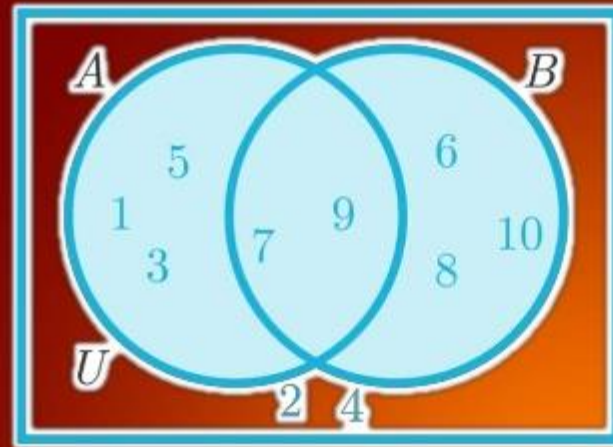
Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

Example

- Consider the Venn diagram from the previous chapter.



Find $A \cup B$

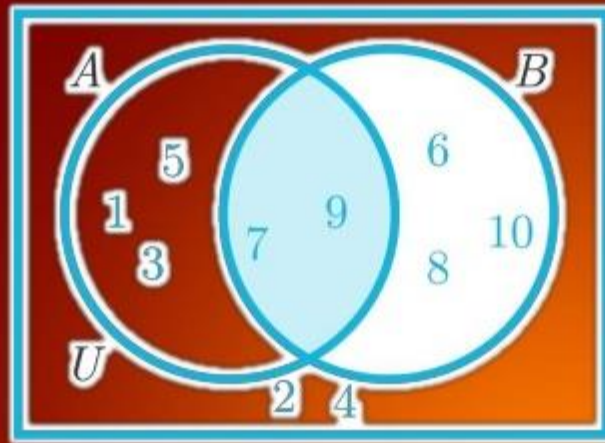


$$A \cup B = \{1, 3, 5, 6, 7, 8, 9, 10\}$$



Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

Find $A \cap B$

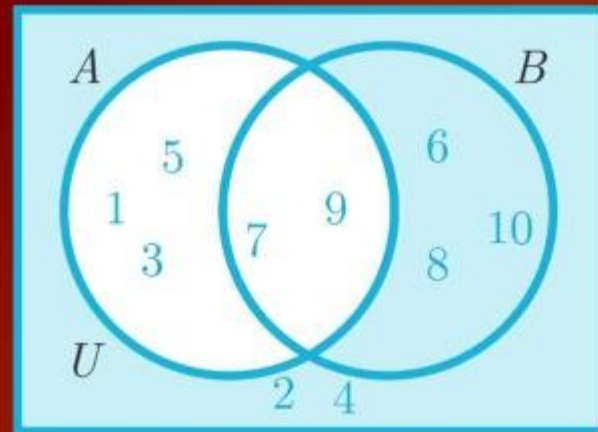


$$A \cap B = \{7, 9\}$$



Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

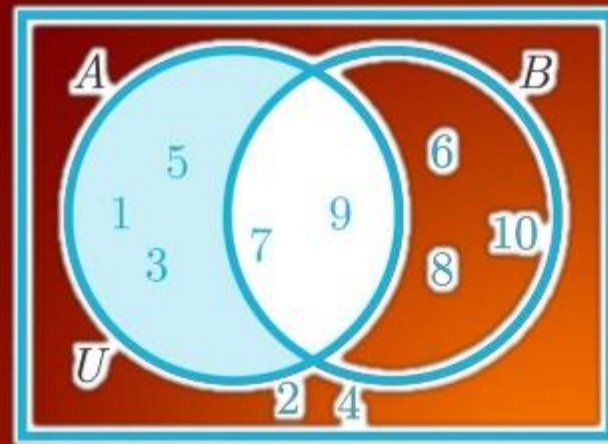
Find A'



$$A' = \{2, 4, 6, 8, 10\}$$



Find $A - B$



$$A' = \{1, 3, 5\}$$



Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

Try it!

Illustrate the given sets A and B using a Venn diagram and perform the following operations:

$$A = \{1, 2, 3\}$$

$$B = \{-6, -4, -2\}$$

1. $A \cup B$

2. $A \cap B$

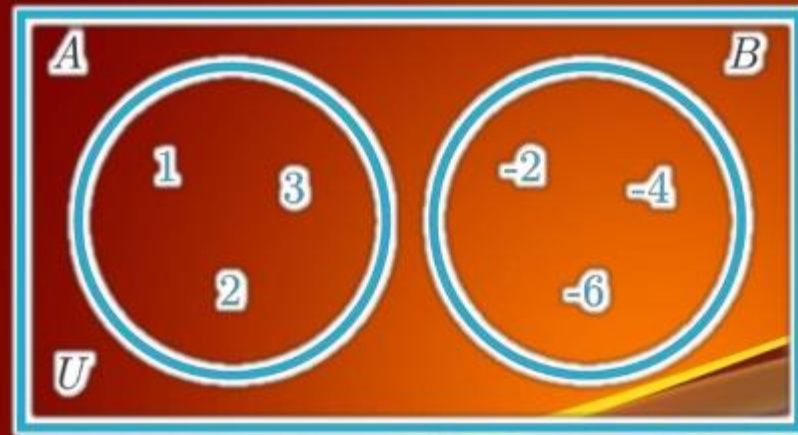
3. B'

4. $A - B$



Try it Solution

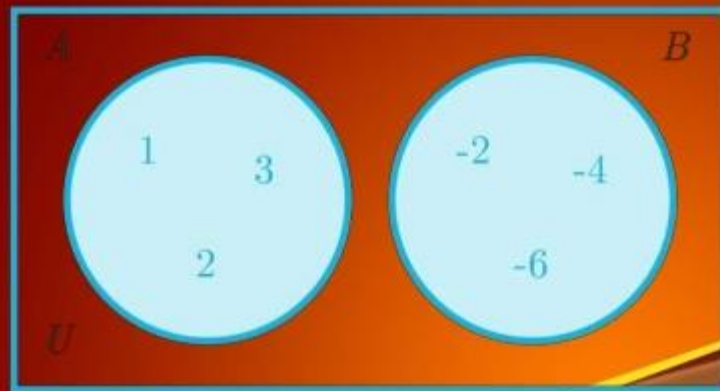
$A = \{1, 2, 3\}$ and $B = \{-6, -4, -2\}$ can be illustrated as:



Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

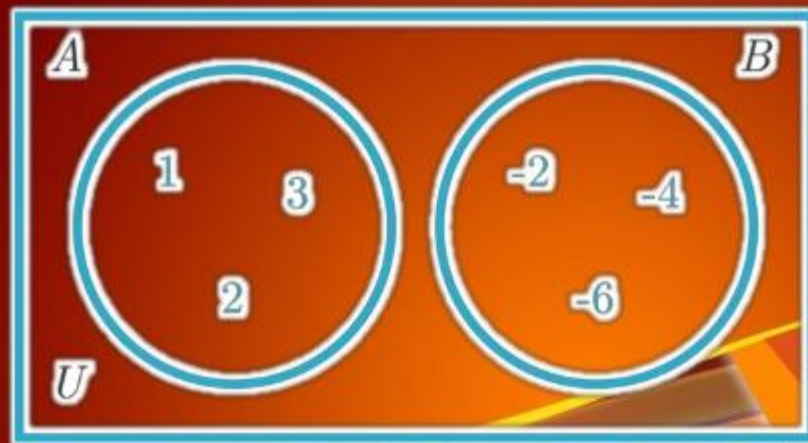
Try it Solution

1. $A \cup B = \{-6, -4, -2, 1, 2, 3\}$



Try it Solution

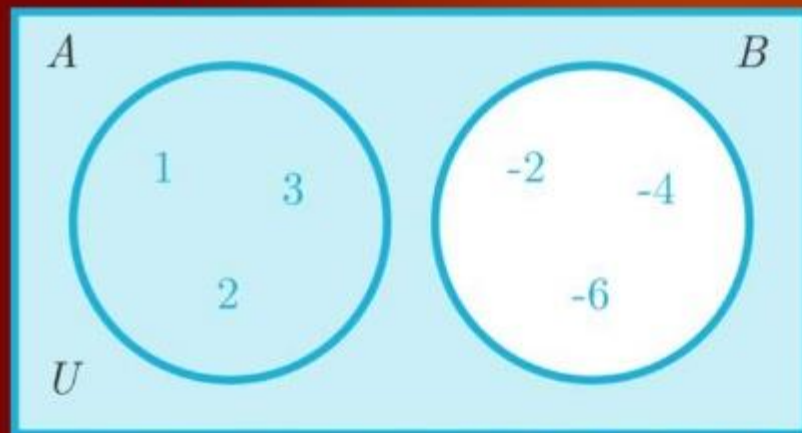
2. $A \cap B = \{\}$ or \emptyset



Also visit us at <https://www.facebook.com/groups/sangyaw> And <https://arielgilbuena2017.wixsite.com/i-hope>

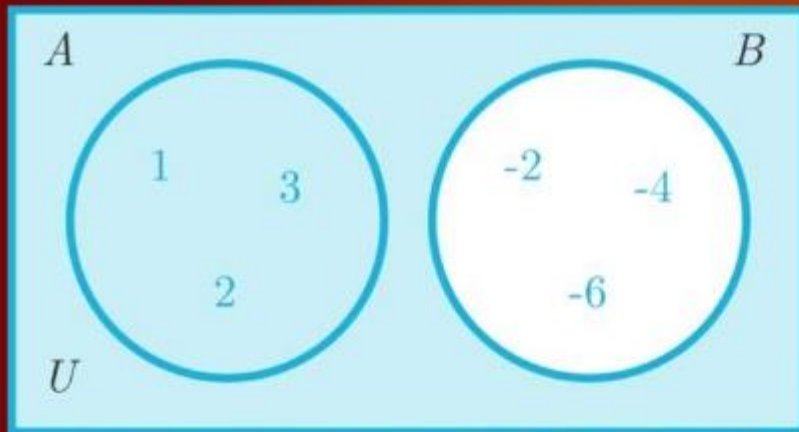
Try it Solution

2. $B' = \{1, 2, 3\}$



Try it Solution

2. $A - B = \{1, 2, 3\}$



Question 5

Given the following Venn diagram, what is $B - A$?
Select your answer.

- a) $\{1, 3, 5, 6\}$
- b) $\{2, 4, 9, 10, 11\}$
- c) $\{2, 4\}$
- d) $\{1, 2, 3, 4, 5, 6\}$

